



*Scintillator calibration for the  
AMS prototype test at CERN:  
further results*

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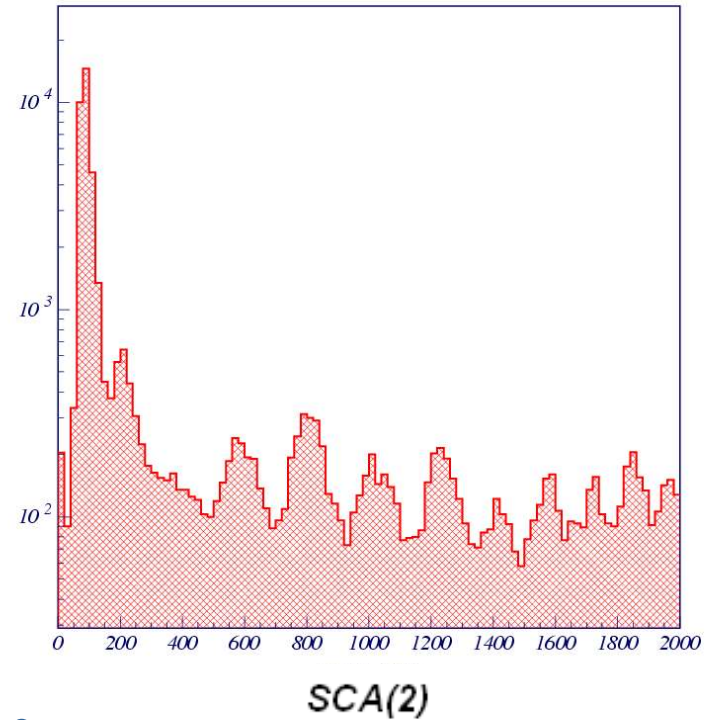
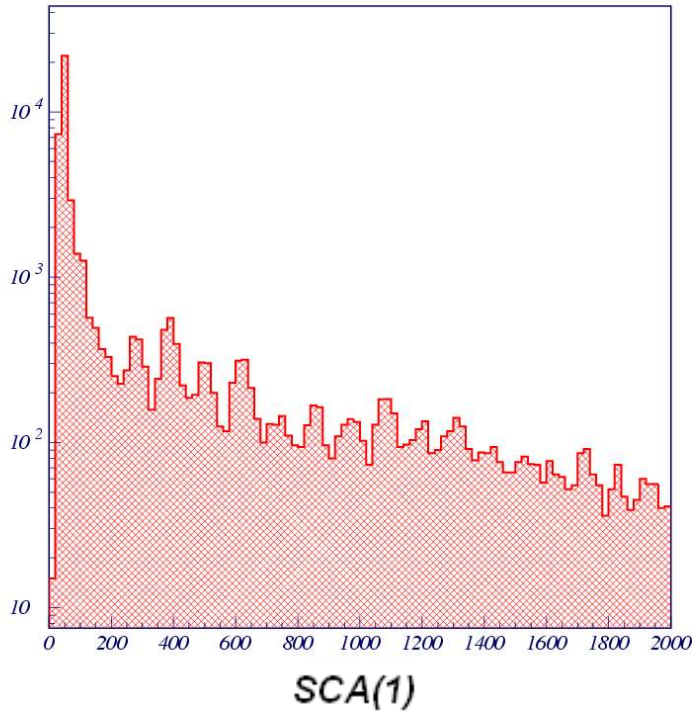
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(LIP - Lisbon)

# Starting data

Data: spectra for ADC readings of scintillator anodes (or dinodes)

Several peaks are usually visible in both scintillator spectra



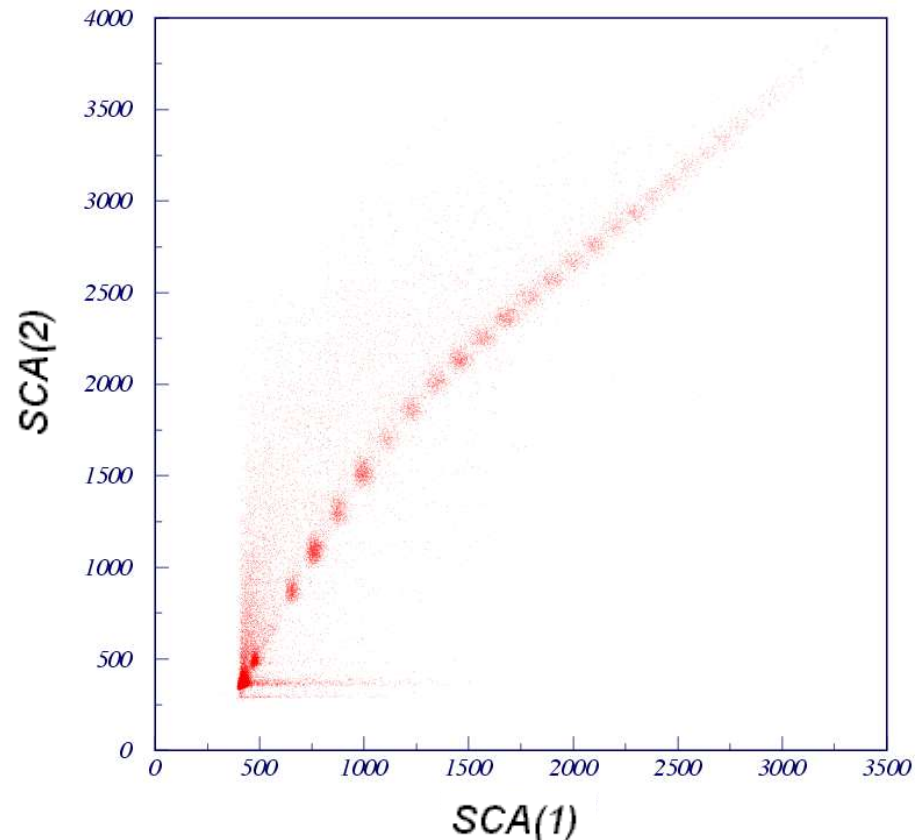
*run 510*

# Starting data

Good correlation (but not quite linear) between scintillators

Visible charge separation up to  $Z \sim 20$  (for runs with  $A/Z=2$ )

*Data for run 510 (anode readings)*



# Calibration procedure

Fits performed on 1-D distribution peaks for SCA(1) & SCA(2)

Peak coordinates used for calibration up to  $Z \sim 18$  (limit depends on run and scintillator), reconstructed charge  $Z_{\text{rec}}$  is average of  $Z_1$  &  $Z_2$

No visible peaks in 1-D distributions for higher  $Z$ , linear extrapolation of calibration functions used as starting point for extension

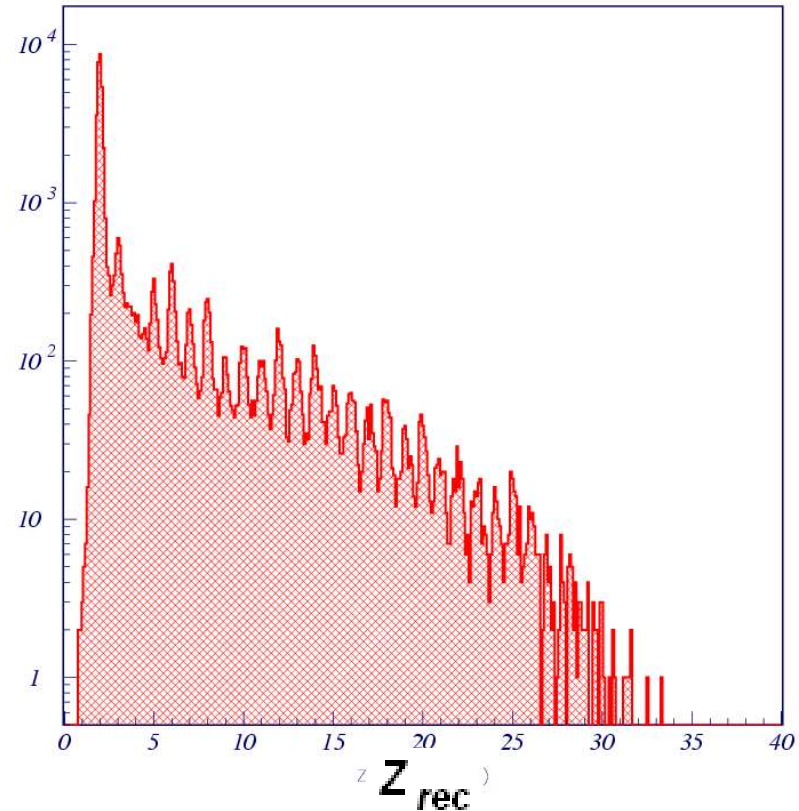
Distribution for  $\Delta Z$  ( $\equiv Z_1 - Z_2$ ) used for cross calibration: function for  $Z_2$  is tuned so that  $\Delta Z$  distribution always peaks at zero for any selected region of  $Z$

Estimates are now compatible for  $Z_1$  &  $Z_2$

# Calibration procedure

Further peaks become visible in  $Z_{rec}$  spectrum, but may move away from integer values as  $Z$  increases

Peak positions used to correct values on calibration functions, so that peaks move to integer values of  $Z$

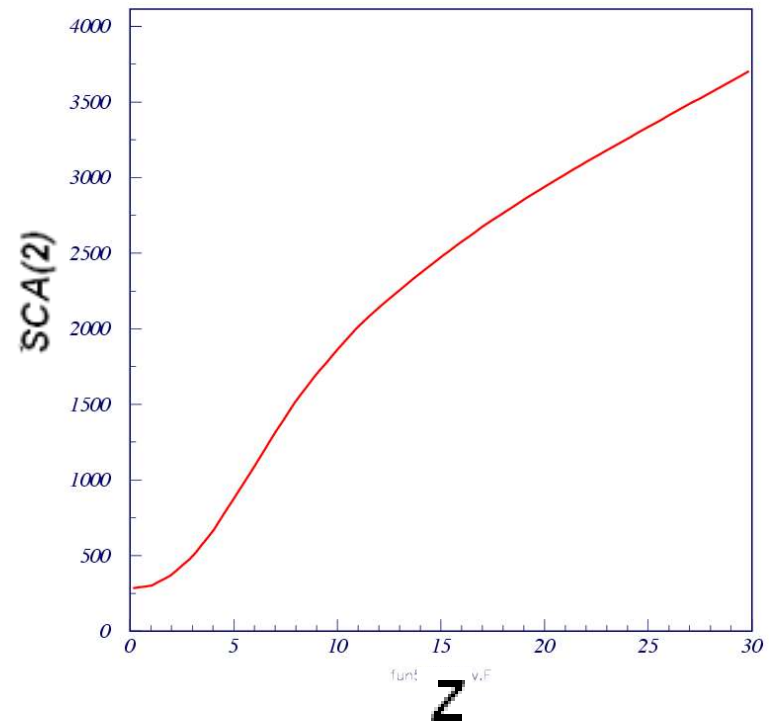
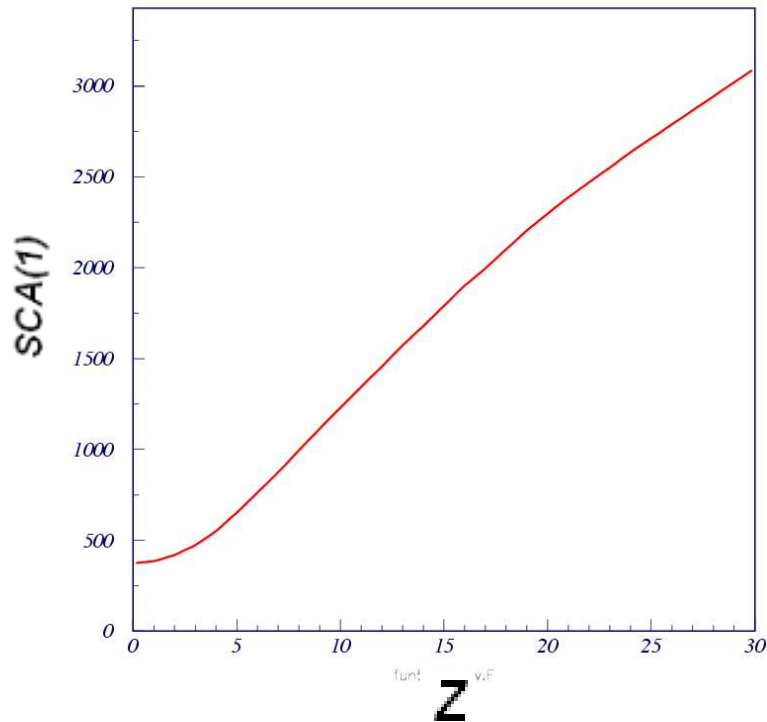


$Z_{rec}$  spectrum

run 510

# Calibration results

An example of final calibration functions for **SCA(1)** and **SCA(2)**:



*run 510*

# Calibration for $A/Z=2$

Scintillator calibration was made for 27 runs with  $A/Z=2$ :

506, 510-511, 513-520, 525-527, 529-533, 538-540, 542-546

Calibration data for a given run cannot be used in following runs if accuracy is needed: changes are small but still significant

Change in  $Z_{rec}$  between consecutive runs for the same scintillator reading is usually in the 0.1 – 1 range

Calibration made from scratch for runs 510 and 538

Calibration data from runs 510 and 538 used as starting point for fine calibration of remaining runs:

510 for another 18 runs (506-533)

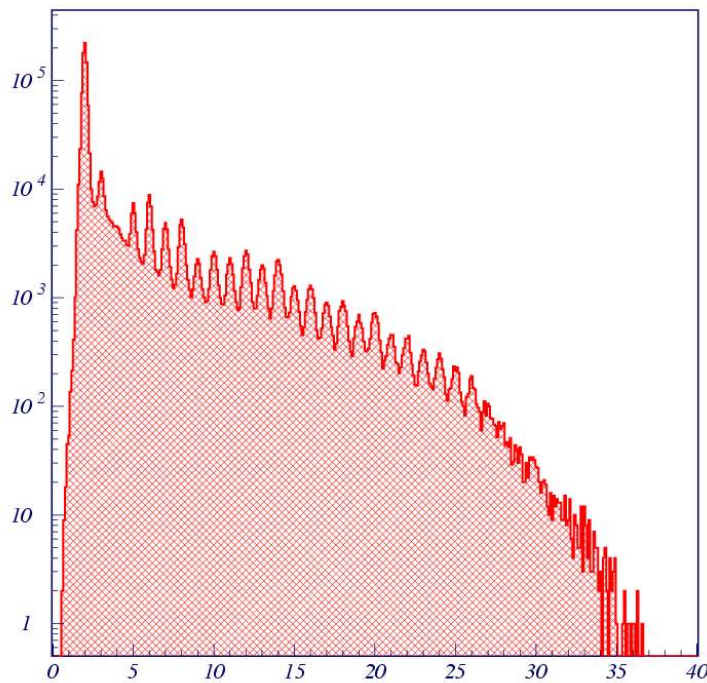
538 for another 7 runs (539-546)

Total of  $1.70 \times 10^6$  events processed

# Calibration results: $A/Z=2$

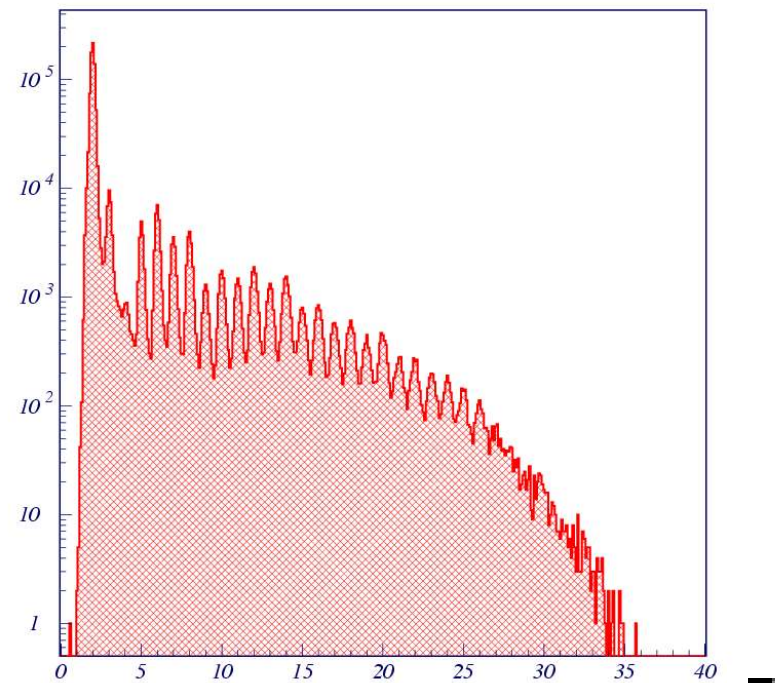
Full spectrum for  $Z_{\text{rec}}$  (all events): very good peaks up to  $Z = 26$

Spectrum after quality cut ( $Z_1$  &  $Z_2$  compatible, i. e.,  $|\Delta Z| < 0.5$ ):  
78% of events kept



Full spectrum

$Z$



After quality cut

$Z$

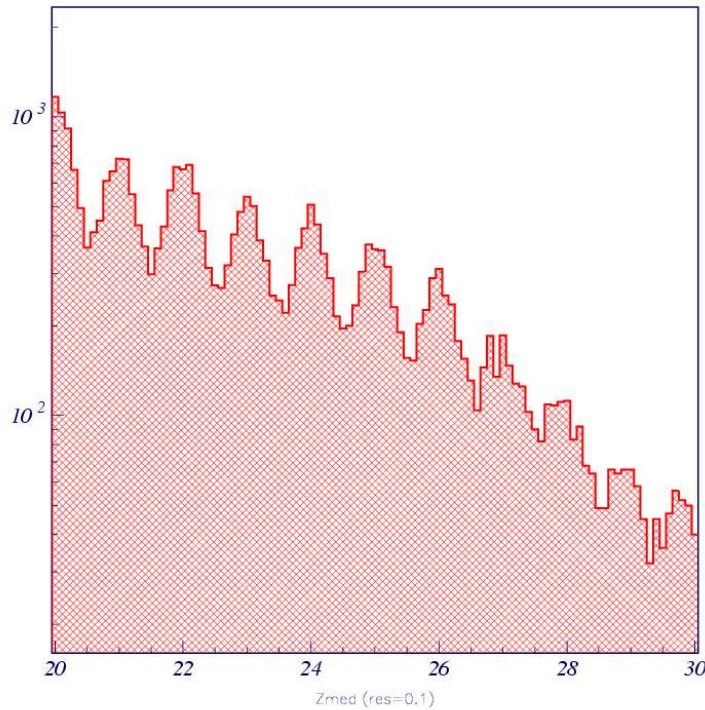
27 runs



# Calibration results: $A/Z=2$

Full spectrum tail: peaks seen up to  $Z = 30$

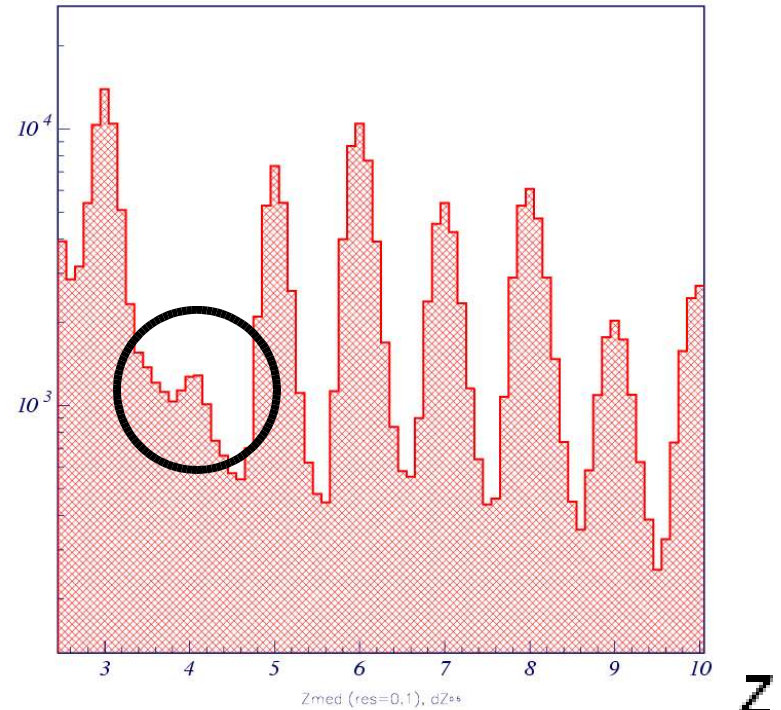
Beryllium peak clearly visible after quality cut



**Full spectrum (Z= 20-30)**

**Z**

*27 runs*



**Beryllium peak**

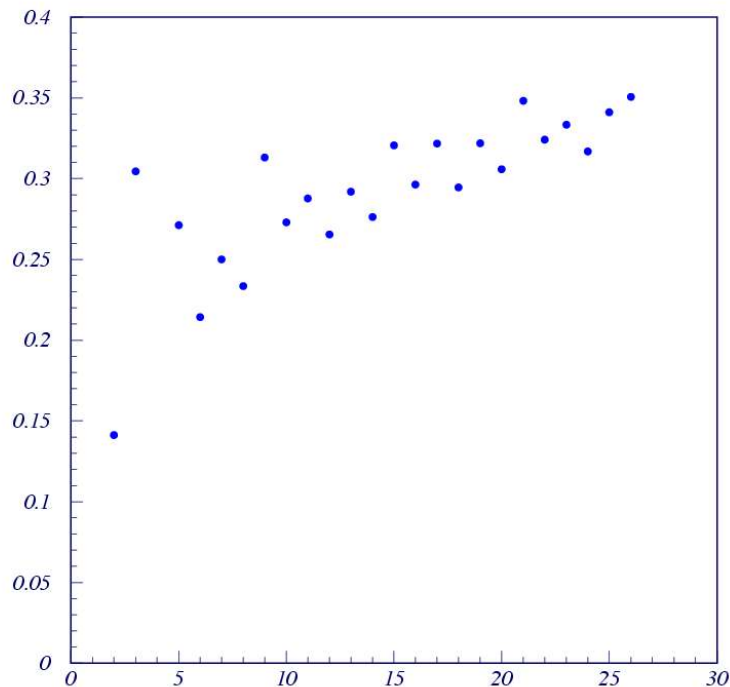
**Z**

# Calibration results: $A/Z=2$

Gaussian fit performed over peaks in  $Z \pm 0.4$  region

Raw peaks: width shows some increase with  $Z$ , but correlation is not very clear

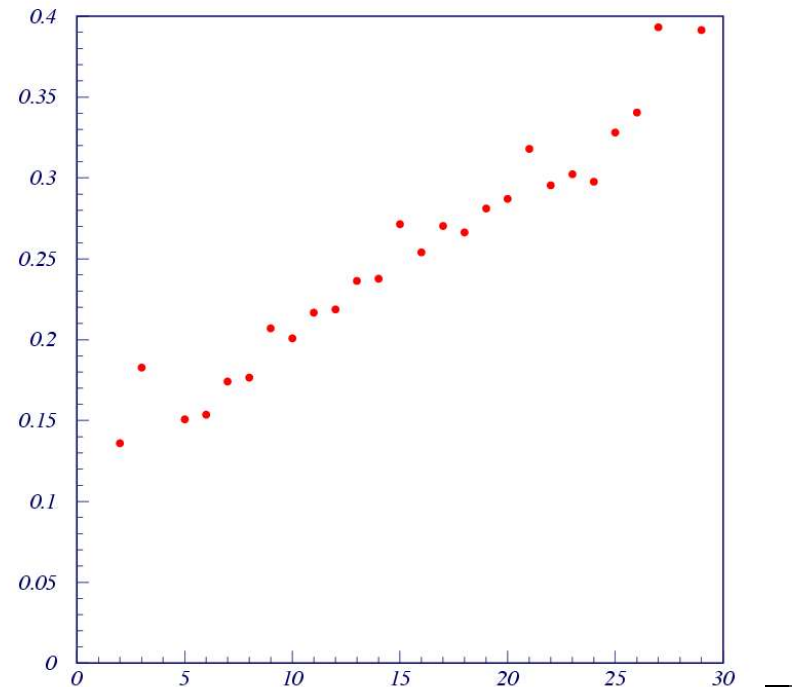
After quality cut: clear correlation between  $Z$  and peak width



raw peak width

$Z$

27 runs



width after quality cut

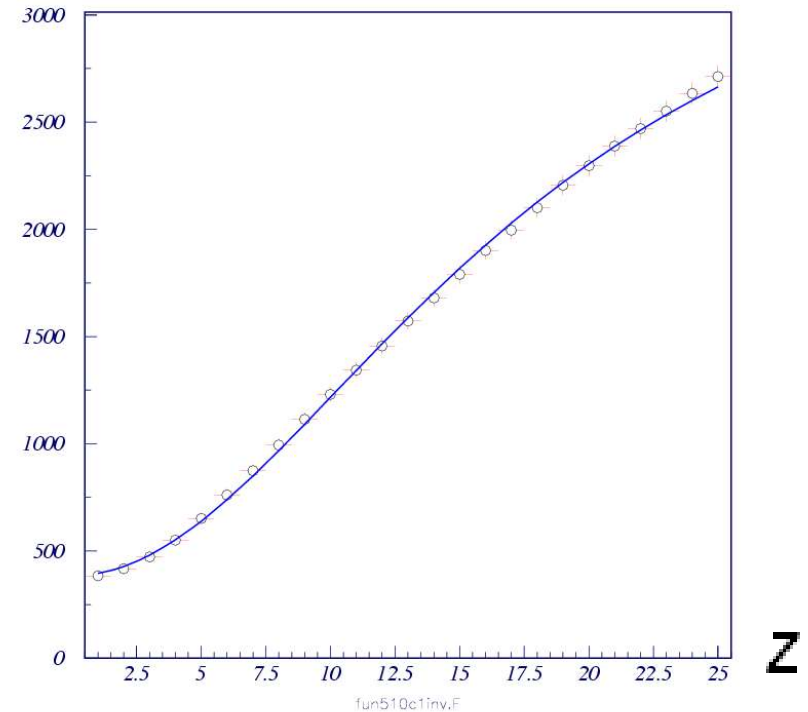
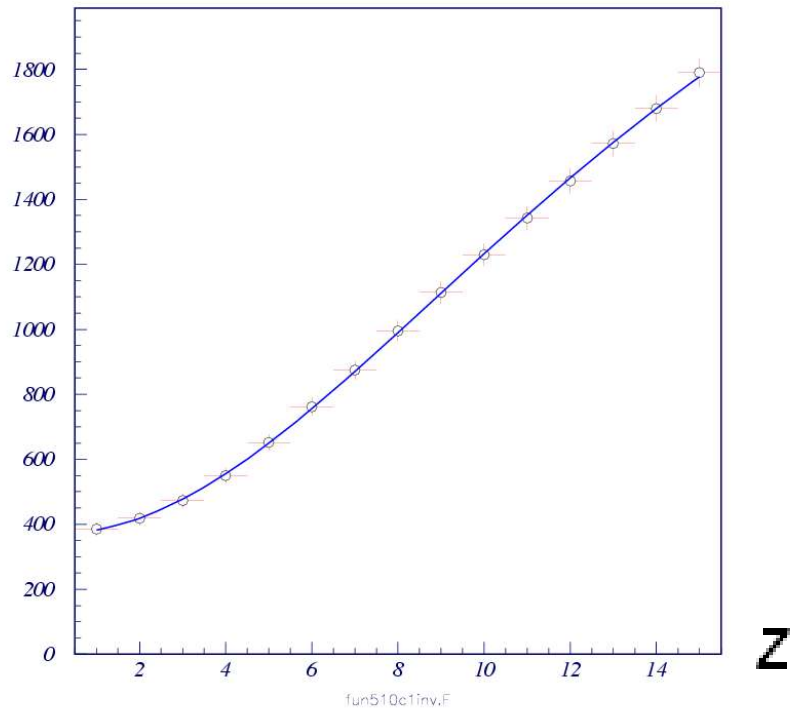
$Z$

# Data fitting: Birks' law

Three parameters including pedestal:

$$f(Z) = a + bZ^2 / (1 + cZ^2)$$

Very good agreement for Z between 0 and 15,  
some problems if region up to Z=25 is included



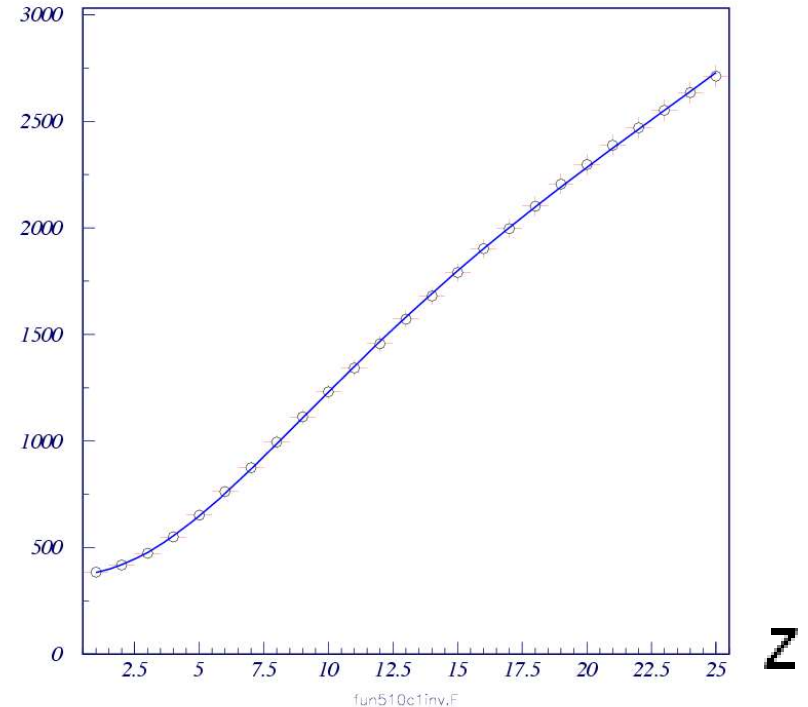
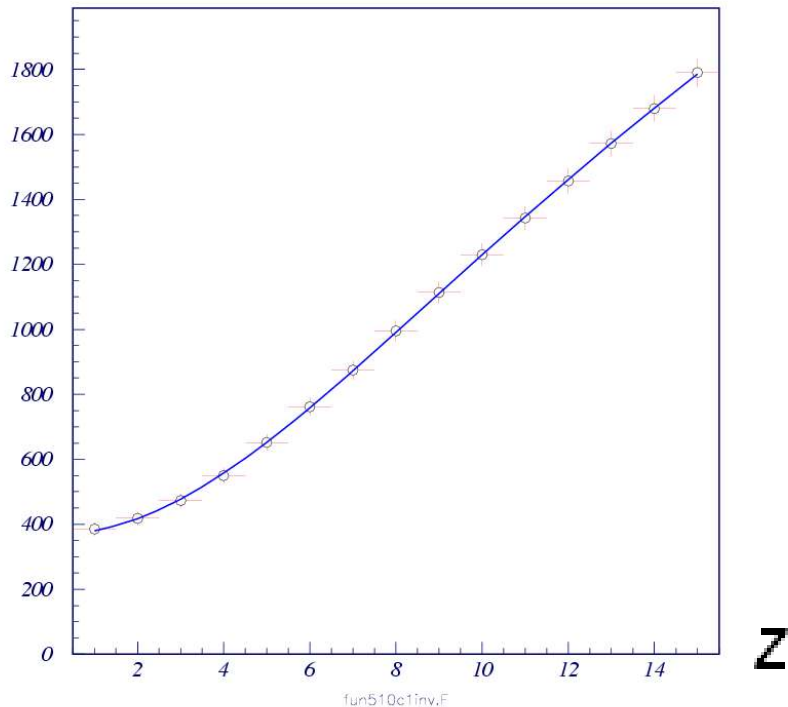
run 510, SCA(1)

# Data fitting: Birks' law, extended

Four parameters including pedestal:

$$f(Z) = a + bZ^2 / (1 + cZ^2 + dZ^4)$$

Agreement with data is clearly improved for fits including higher Z



run 510, SCA(1)

# Limits to data fitting

Problem with extended Birks' law: parameter  $d$  is usually negative for  $f(Z) = a + bZ^2 / (1 + cZ^2 + dZ^4)$

⇒ as  $Z$  increases, decreasing inverse fraction  $(1 + cZ^2 + dZ^4) / bZ^2$  reaches a saddle point

$$Z_{\text{saddle}} = (-3/d)^{1/4}$$

and growth of  $f$  starts to accelerate

⇒ further increase in  $Z$  brings  $1 + cZ^2 + dZ^4$  to zero: function  $f$  reaches a singularity point

$$Z_{\text{sing}} = \{[c + (c^2 - 4d)^{1/2}] / (-2d)\}^{1/2}$$

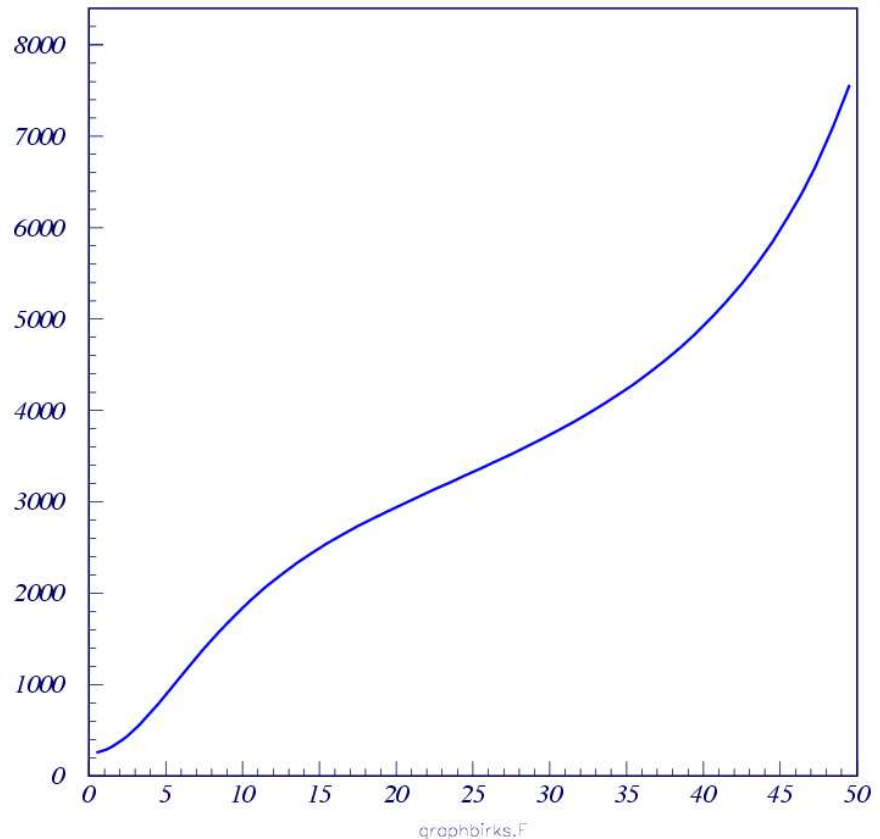
# Limits to data fitting

For most fits performed on  $A/Z=2$  runs,

$$Z_{\text{saddle}} \sim 30-40$$

$$Z_{\text{sing}} \sim 50-70$$

**Extended Birks' law is not reliable for very high  $Z$ !**



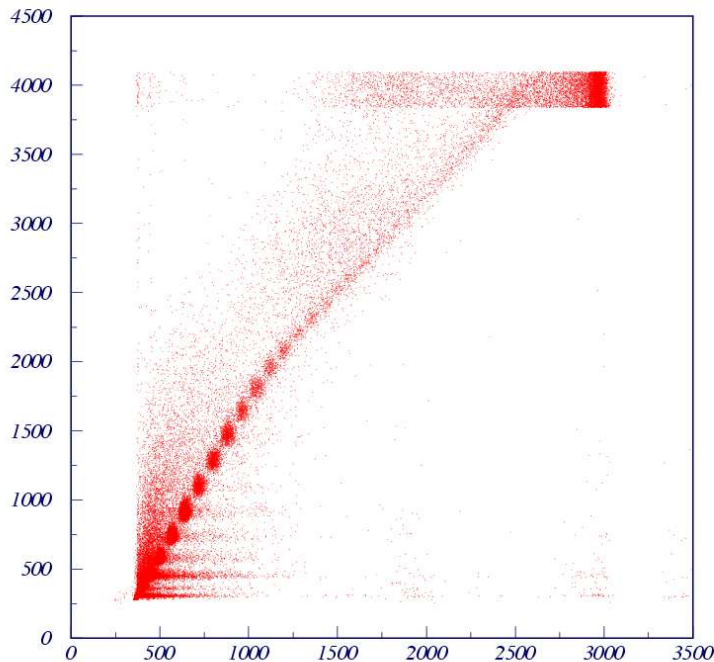
Run 510, fit for  $Z = 0-25$ :

$$Z_{\text{saddle}} = 38.3 \quad Z_{\text{sing}} = 58.6$$

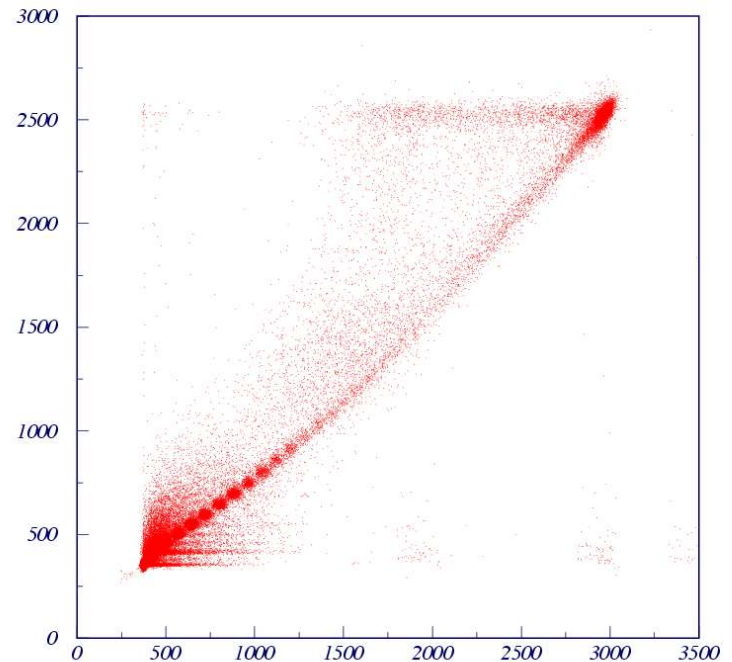
# Calibration for indium runs

Same procedure was used, **saturation** seen on SCA(2), **SCD(2)** must be used for high Z

2- D plots show high number of **bad events** (no correlation)



**SCA(1) vs. SCA  
(2)**



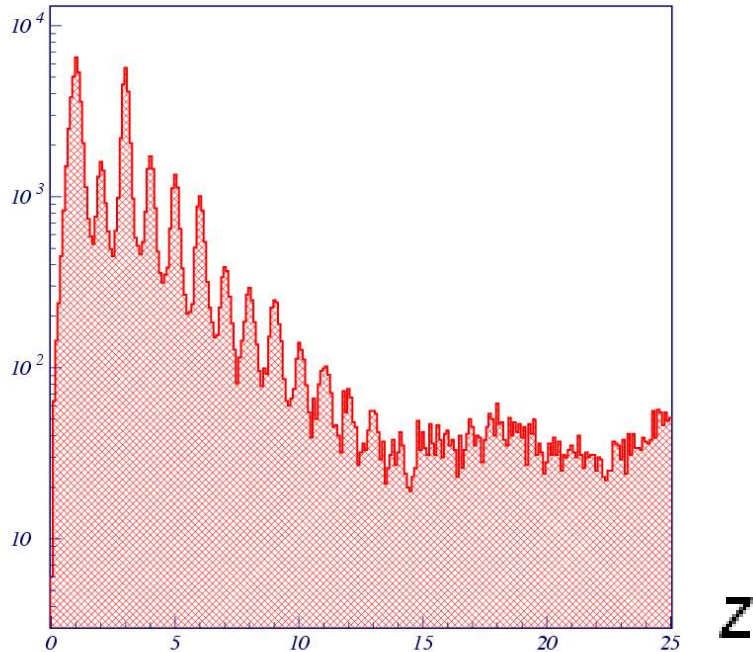
**SCA(1) vs. SCD  
(2)**

*run 639*

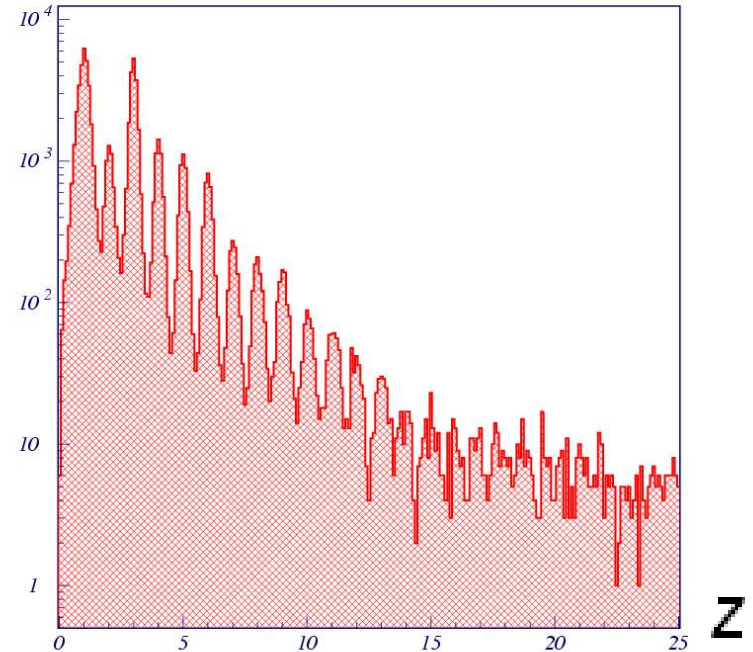
# Calibration for indium runs

Run 639 was chosen (higher statistics for low  $Z$ )

For low  $Z$ , SCA(2) can still be used, peaks up to  $Z \sim 14$  (full spectrum),  $Z \sim 20$  (after quality cut)



Full spectrum



After quality cut

run 639, SCA(2)  
used

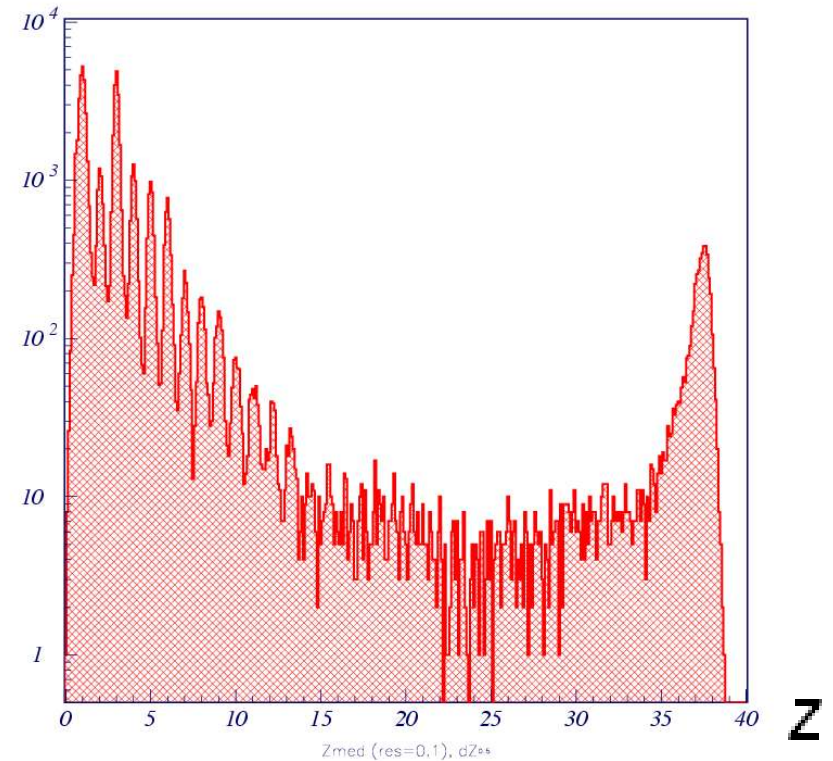


# Calibration for indium runs

Full spectrum based on low Z calibration using SCD(2) shows clear peak at very high Z (indium)

Number of good events at intermediate Z is too small to have a complete calibration up to this peak

Z for indium could not be determined by this calibration procedure (peak counting cannot be used)



**Spectrum after quality cut**

*run 639, SCD(2)  
used*

# Conclusions

Scintillator calibration **must be performed** for each run individually

**27 runs** with  $A/Z=2$  were analyzed, with a total of more than  $10^6$  events, combined data show peaks up to  $Z=30$ , peak width **increases with  $Z$**

**Birks' law** gives a good description of scintillator response up to  $Z=15$ , **extended law** may be used for **higher  $Z$**  but is not reliable beyond  $Z=30$

**Bad events** and **low statistics** at intermediate  $Z$  pose a problem in **indium runs**, peaks still seen up to  $Z=20$ , clear **indium peak** seen but its  $Z$  **could not be determined** using this procedure