

Invisible Higgs analysis in the tth channel

- Mainly tales of woe...
- Hadronic top reconstruction
- An error found in b-tagging

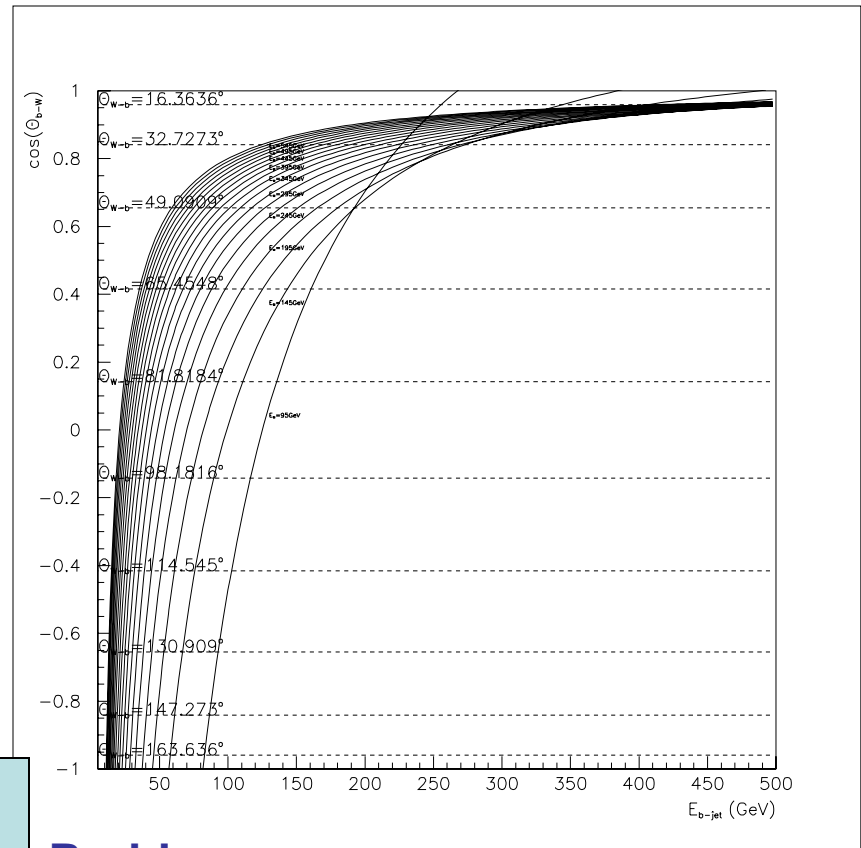
Reconstruction of $t \rightarrow Wb \rightarrow jjb$

- A simple kinematic relation exists between the W and the b jet from top decays
- Checked use for either:
 - ❖ Reject wrong bjj combinations
 - ❖ Correct the b-jet energy scale (Pedro's suggestion)

$$t = b + W \Leftrightarrow m_t^2 = m_b^2 + m_W^2 + 2b \cdot W$$

$$m^2 = m_t^2 - m_b^2 - m_W^2 = 2E_b E_W - 2|\vec{p}_b||\vec{p}_W| \cos \theta_{bW}^{3D}$$

$$\cos \theta_{bW}^{3D} = \frac{2E_b E_W - m^2}{2|\vec{p}_b||\vec{p}_W|}$$



Problems:

Assumes all particles on mass shell...

Depends quadratically on the mass of the top...

Reconstruction of $t \rightarrow Wb \rightarrow jjb$

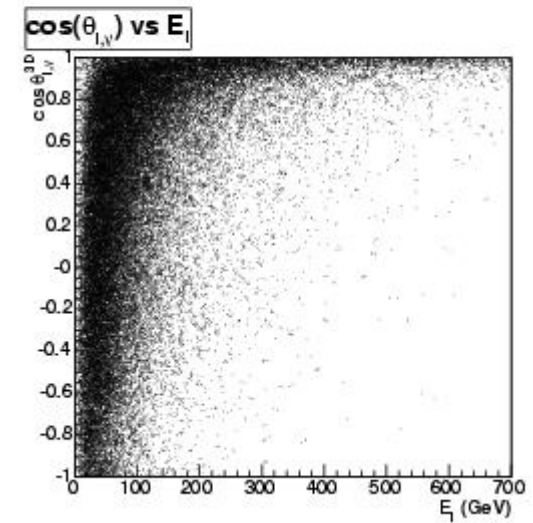
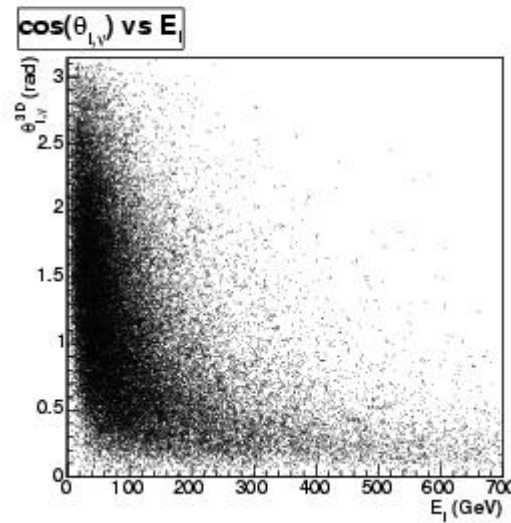
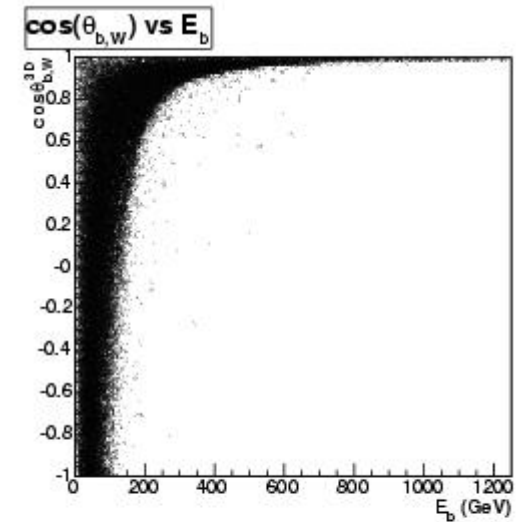
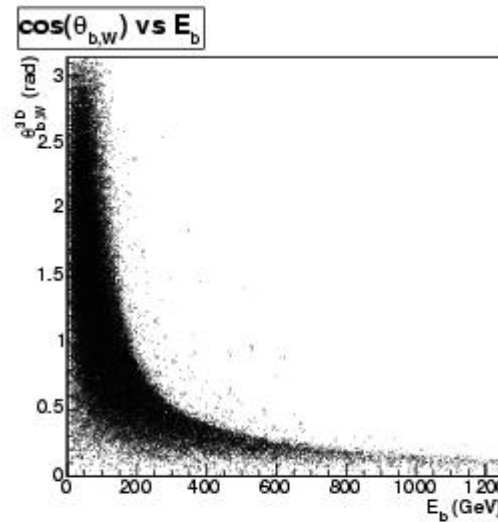
- MC truth:

- Kinematical constraint clearly shown in plots

- Top plots: $t \rightarrow bjj$

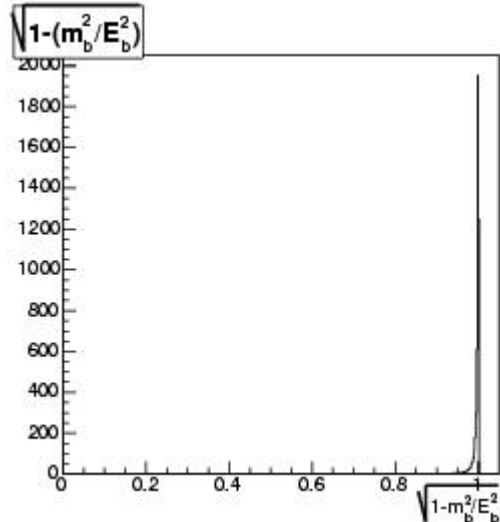
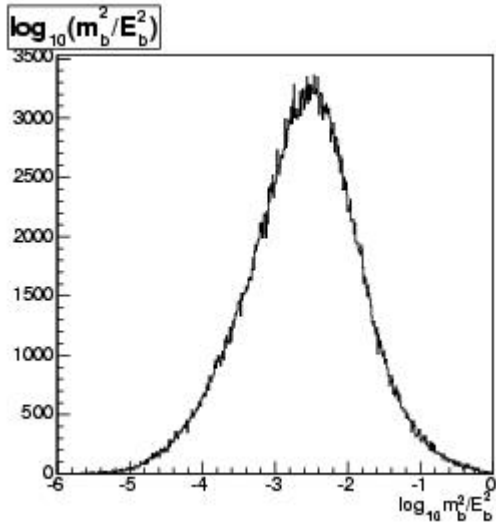
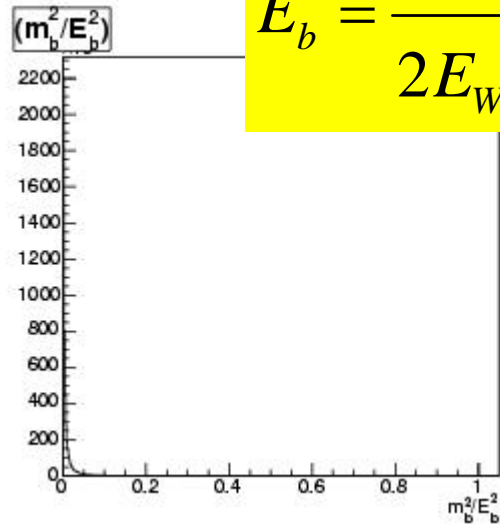
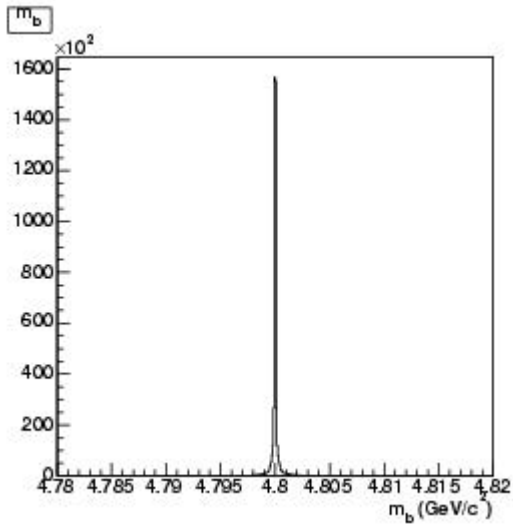
- Bottom plots: $t \rightarrow blv$

- Constraints not so useful in $t \rightarrow blv$ case



b-jet Energy Scale

$$E_b = \frac{m_t^2 - m_W^2 - m_b^2}{2E_W - 2|\vec{p}_W| \left(1 - m_b^2/E_b^2\right)^{1/2} \cos \theta_{bW}^{3D}}$$

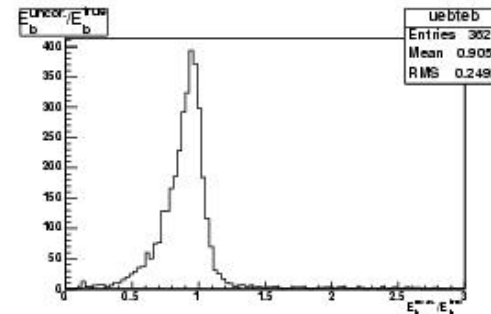
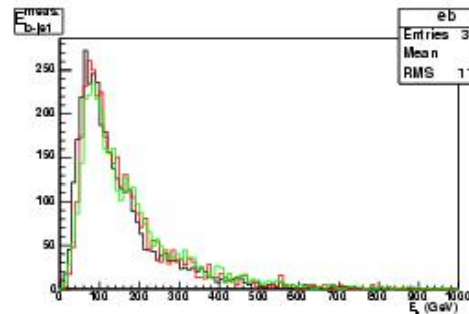


- Expression depends only **slightly** on the b jet energy E_b , through the term $(1 - m_b^2/E_b^2)^{1/2}$
- It can be used **iteratively** to approximate E_b
- Can we use this to correct for the b-jet energy scale on a **event-by-event** basis? (**the answer will be no...**)

b-jet Energy Scale

- **Not useful** to correct the b-jet mass energy scale, unfortunately (probably due to dependence on **square of masses of W and t**)

Energy of b jet and 2 correction iterations



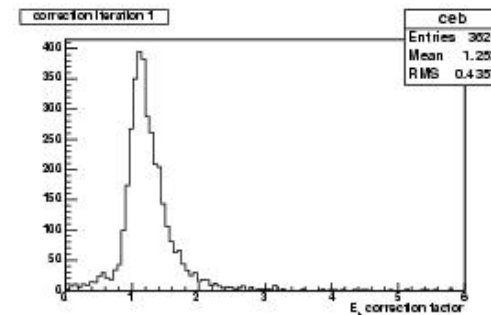
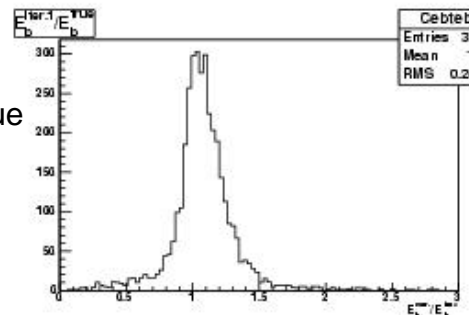
$$E_b^{\text{uncorr.}}/E_b^{\text{true}}$$

$$\mu = 0.906$$

$$\sigma = 0.25$$

1st iteration: $E_b^{\text{iter.1}}/E_b^{\text{true}}$

$$\mu = 1.08 \quad \sigma = 0.24$$

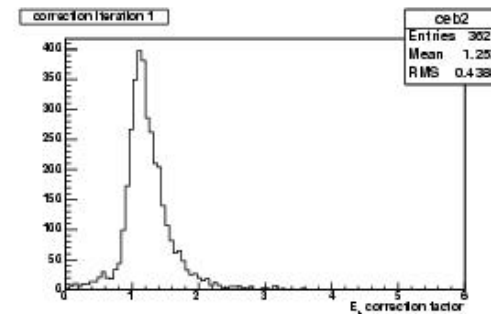
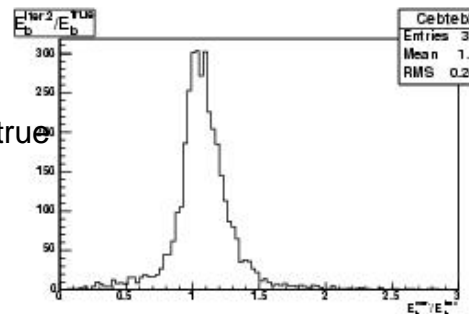


1st iteration:

$$E_b^{\text{iter.1}}/E_b^{\text{uncorr.}}$$

2nd iteration: $E_b^{\text{iter.2}}/E_b^{\text{true}}$

$$\mu = 1.08 \quad \sigma = 0.25$$

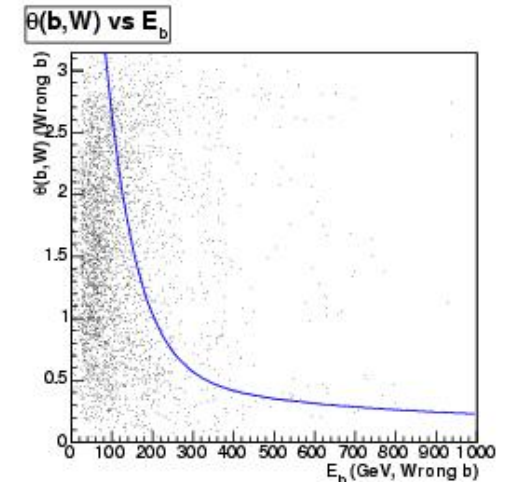
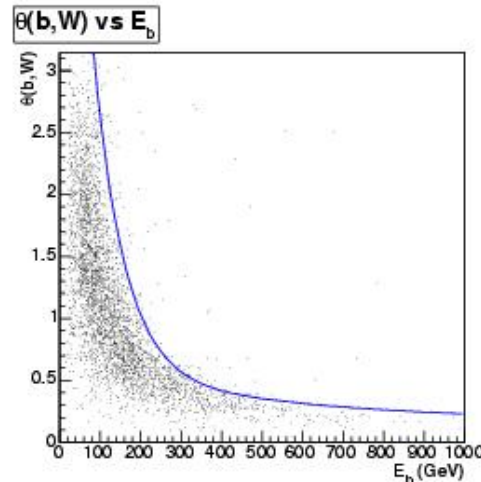
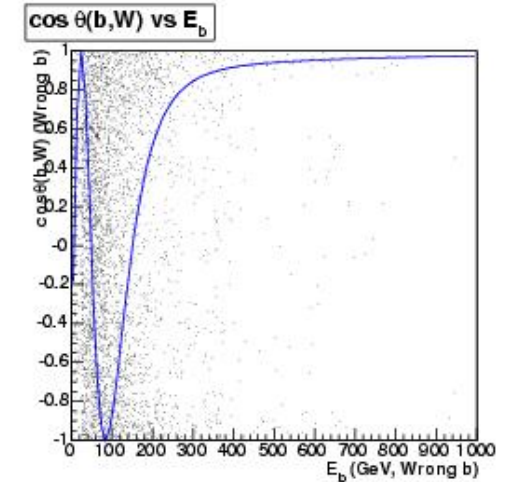
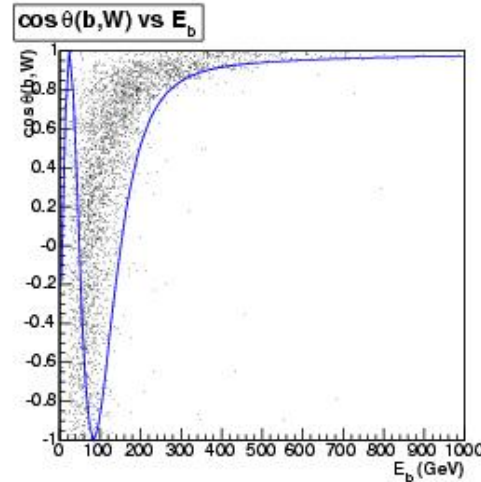


2nd iteration:

$$E_b^{\text{iter.2}}/E_b^{\text{uncorr.}}$$

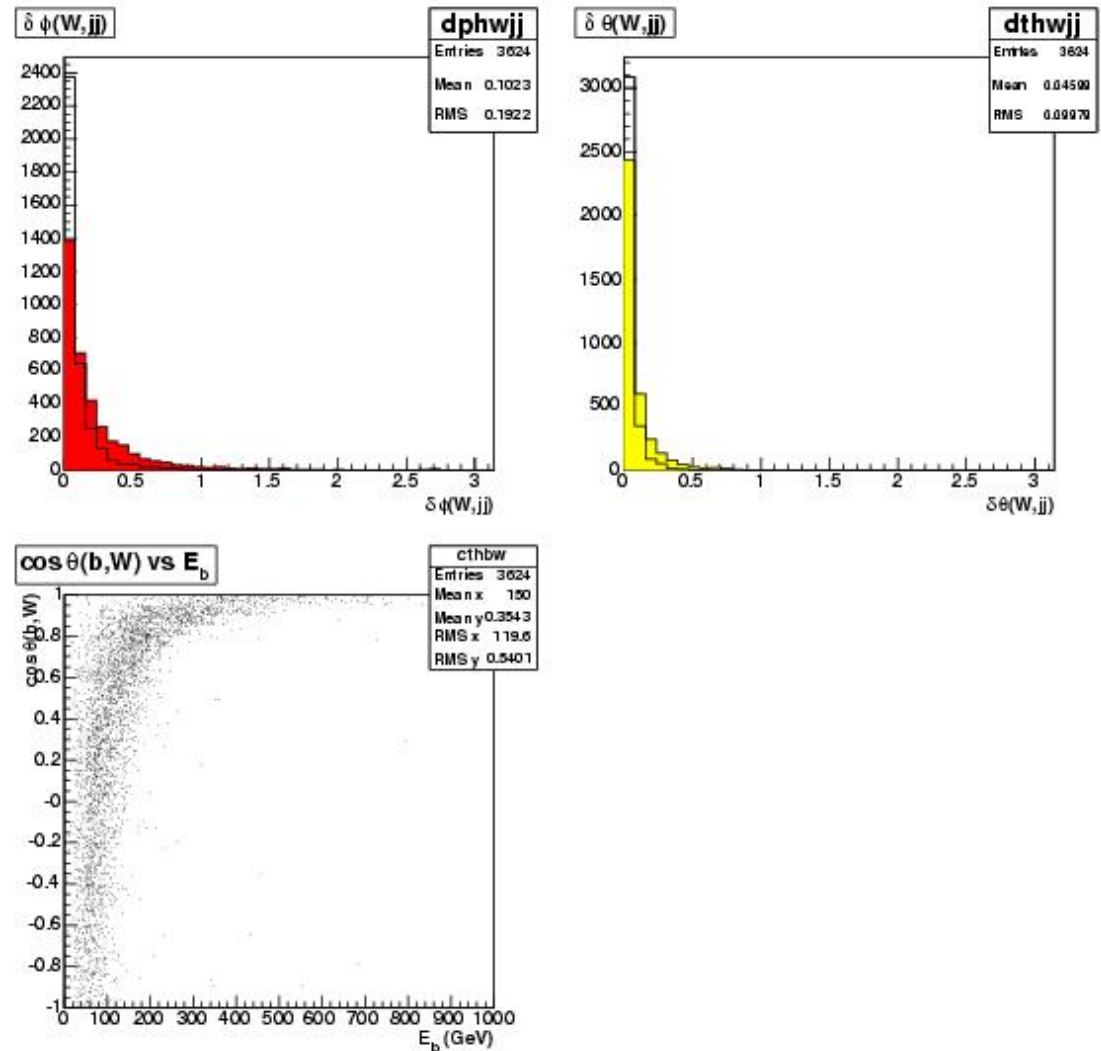
Reconstruction of $t \rightarrow Wb \rightarrow jjb$

- Even after **detector smearing with Atlfast**, reconstruction of $t \rightarrow$ **bjj decay** may benefit from kin.constraint
- **Left:** good **bjj** combinations
- **Right:** right **jj** combination but **wrong b jet**
- **Envelope** of scatter plot is one way to cut on bad combinations



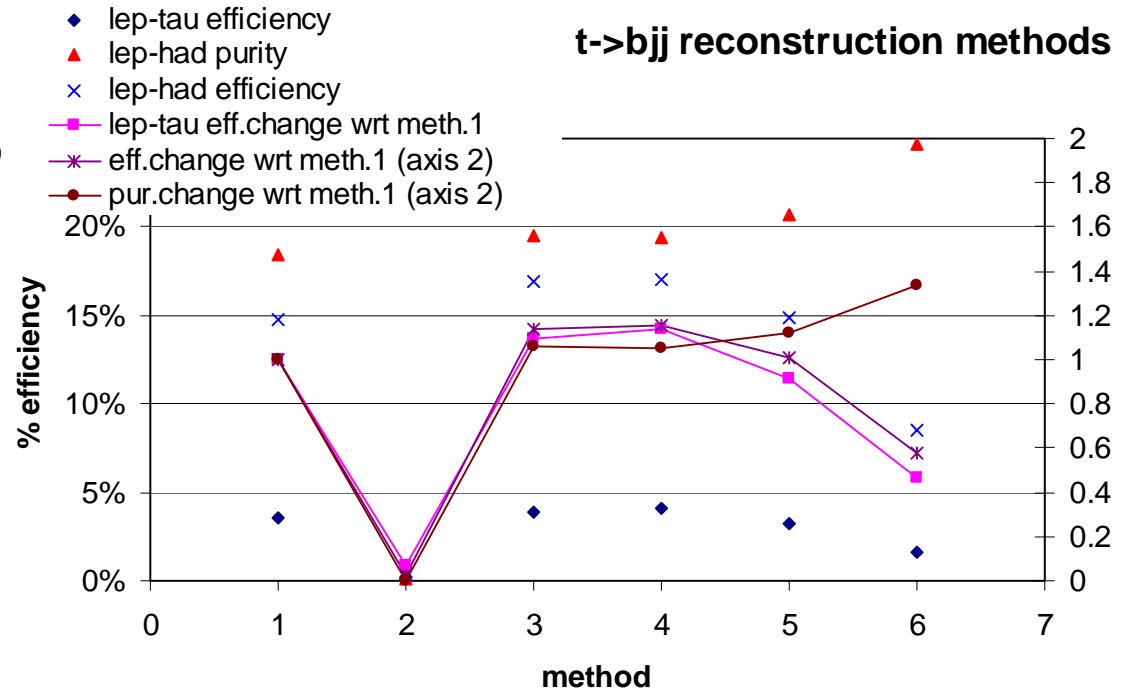
Reconstruction of $t \rightarrow Wb \rightarrow jjb$

- W reconstruction:
 - Find jets j_1 and j_2 within $\theta^{3D} < 0.4$ of true quarks from $W \rightarrow qq$
 - Calculate W momentum from $j_1 + j_2$
- Using the right jet combination, W angle reconstructed better than with quarks from $W \rightarrow qq$ after ISR (histos in red and yellow are from truth information)



Reconstruction of $t \rightarrow Wb \rightarrow jjb$

- Several methods were tried
- Tried **lep-had** and **lep-tau** (to see if background could be rejected)
- In general, best performance from **simultaneously trying bjj combinations** (method 3)
- Kinematic constraint has **similar performance** (meth. 4-6) can have **better purity** but **sensitive to mass of top**



1 - jj combination $|m_{jj}-80.4| < 15\text{GeV}$ + bjj combination $|m_{bjj}-175| < 25\text{GeV}$ + $pT_{jets} > 15\text{GeV}$

2 - highest pT_{jj} + bjj combination $|m_{bjj}-175| < 25\text{GeV}$ + $pT_{jets} > 15\text{GeV}$

3 - bjj combinations with $|m_{jj}-80.4| < 15\text{GeV}$ and $|m_{bjj}-175| < 25\text{GeV}$ + $pT_{jets} > 15\text{GeV}$

4 - same as 3 + maximum $\theta_{b,jj} < \text{envelope}$

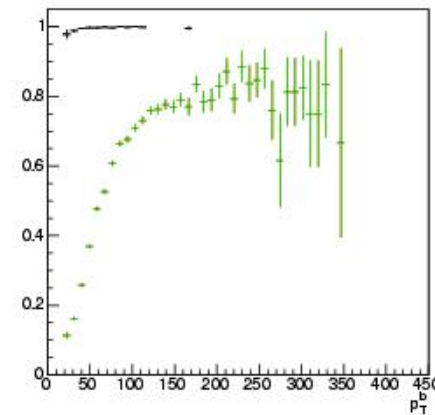
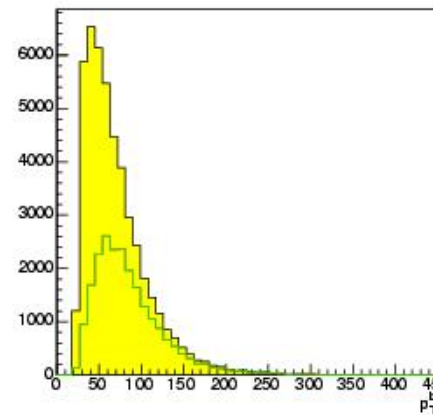
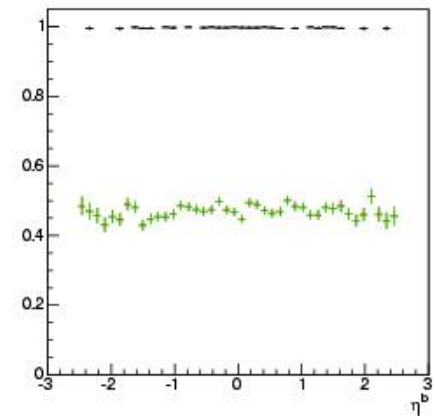
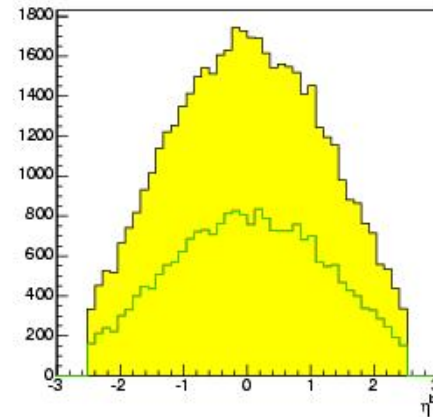
5 - same as 3 + $0.75 < E_{b_rec}/E_{b_nom}(\theta_{b,jj}) < 1.25$

6 - same as 3 + $0.9 < \theta_{b,jj}/\theta_{bjj}(E_b) < 1.1$

Good combination: $R(t,bjj) < 0.1$ + $R(W,jj) < 0.1$ + $R(b,bjet) < 0.1$

b-jet tagging efficiency in Atlfast

- Method:
 - For one **true b quark** in event ($|\eta| < 2.5$, $E_b > 15$ GeV) search for any jet (tagged + un-tagged) **within R cone of 0.2**
 - If a jet is found (“**b-labelled**”), look for a “**b-tagged**” jet within $R < 0.2$
 - For each class (labelled, tagged) fill histos using p_T and η of **true quark**, to avoid migrations in plots
 - Efficiency is **b-tagged/b-labelled** (vs. η or p_T)
- **Left plots:** η and p_T of true (yellow), labelled (red) and tagged (green)
- **Right plots:** labelled/true (red), tagged/true (green) and efficiency (black)



Efficiency ~1 !!! Something was wrong
Found a mistake in my code...